

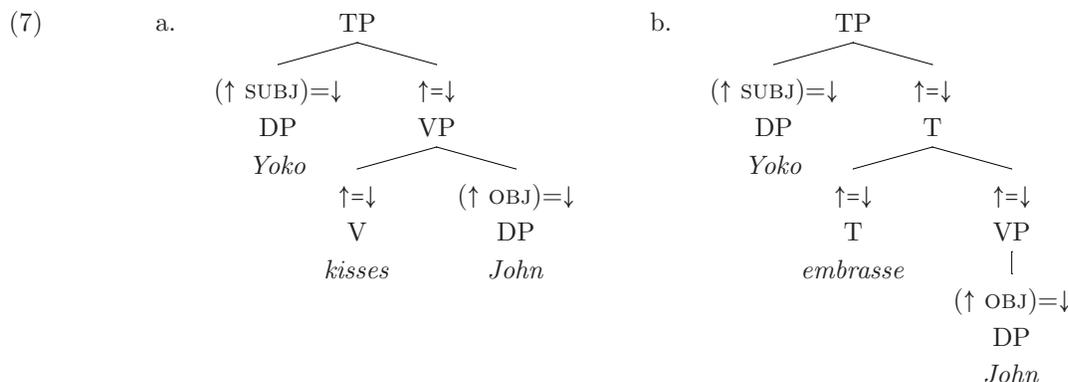


primitive notion of phrasal level, can be seen as an LFG version of Bare Phrase Structure (Chomsky, 1995), or the inheritance of CAT features via the Head Feature Principle (Pollard and Sag, 1994).

The system can be used to specify c- to f-structure mapping principles equivalent to those of Bresnan (2001): (6a) ensures that the nodes within a categorial domain are part of the same functional domain; (6b) ensures, via set restriction, that functional domains are extended across categorial domains like T-V or D-N; (6c) states that nominal and functional daughters of verbal and functional categories (that is, D daughters of T) will be f-structure SUBJS; and so on.

- (6) a.  $Proj(*) \Rightarrow \uparrow=\downarrow$  A projecting node and its mother have token-identical f-structures.  
 b.  $\chi(\hat{*}) - \chi(*) = \{f\} \Rightarrow \uparrow=\downarrow$  A lexical node and its functional but otherwise identical mother have token-identical f-structures.  
 c.  $Max(*) \Rightarrow (\uparrow \text{ SUBJ})=\downarrow$  The f-structure of a maximal projection of category D is the SUBJ in the f-structure of its category T mother.  
 $\chi(*) = \{f\}$   
 $Max(\hat{*})$   
 $\chi(\hat{*}) = \{Pr, Tr, f\}$   
 d. ...

Assuming that the daughters in (5) are optional, then the minimal tree whose configuration satisfies (5), and whose functional annotations satisfy the set of principles partially stated in (6), and which defines both a SUBJ and an OBJ for a finite verb form, is the one in (7a) for English and the one in (7b) for French (assuming the results of Pollock, 1989). Note that all node labels in these trees abbreviate the x-structure feature sets in (3), and phrasal labels are used for nodes about which (4b) is true.



Hence the gain in explicitness, accompanied by a simplification of the categorial feature system and the elimination of  $X'$  level primitives, comes at little cost in descriptive or explanatory power. Problems do remain: the system as stated here does not allow a definition of C that differentiates it from T, and adding a feature to do this would exacerbate the paradigmatic gap represented by ? in (3). An alternative, making x-structures multisets such that  $\{Pr, Tr, f\}$  for T is distinct from  $\{Pr, Tr, f, f\}$  for C, is directly compatible with (6b) in the sense that a T daughter of C would be annotated  $\uparrow=\downarrow$ ; however this would come at the cost of a still larger paradigmatic gap, since an x-structure like  $\{Pr, Pr, Pr, Tr, Tr\}$  becomes possible absent additional restrictions. Nevertheless, categorial exuberance of this sort could be recruited in the specification of inflection classes, if the featural system was changed such that the x-structure of N was no longer defined as the empty set.

There are additional benefits. One is that x-structure equations are part of lexical entries right alongside the equations that define other structural levels like f- and a-structure. In consequence, one can envision the specification of a paradigmatic morphology (Stump, 2001) which treats all these equation types on an equivalent footing, and in which the equations serve directly as the morphological features, rather than being transduced from a separate set of such features as in Sadler and Nordlinger (2004). The upshot is an extension of paradigmatic realizational morphology into the category-changing derivational domain, or the domain of categorially mixed extended projections of the nominalization type seen in Bresnan and Mugane (2006); a sketch of these extensions will serve as proof of concept. Another benefit is a parallelism between this LFG conception of syntactic projection and that of other syntactic frameworks, which can facilitate cross-framework comparison and discussion.